

CSE 4125: Distributed Database Systems Chapter – 4

Distributed Database Design.
(part – A)

Outline

- Problems in designing DDB.
- Objectives of the Design of Data Distribution.
- Approaches to Design the Data Distribution.
- The Design of Primary Horizontal Fragmentation.

Problems in designing centralized DB

- Designing *conceptual schema* (description of the database).
- Designing *physical database* (mapping conceptual schema to storage area and defining access methods).

Problems in designing DDB

- Designing ~~conceptual schema~~ (description of the database).
- Designing ~~physical database~~ (mapping conceptual schema to storage area and defining access methods).
- Designing *fragmentation*.
- Designing *allocation of fragments*.

Objectives of the Design of Data Distribution

- **Processing locality.**
 - Placing data as close as possible to the application using them.
- **Availability and reliability.**
 - Multiple copies of data.
 - Recovery.

Objectives of the Design of Data Distribution (cont.)

- **Workload distribution.**
 - Taking advantage of the powers and computer resources at each site.
 - Parallel execution of application.
- **Storage costs and availability.**
 - CPU, I/O and transmission costs.
 - Considering the storage limitation.

Approaches to Design the Data Distribution

- **Top-Down approach.**
 - Have a database.
 - How to partition and allocate to individual sites.
- **Bottom-Up approach.**
 - Have existing databases at different sites.
 - How to integrate them
 - How to deal with heterogeneity and autonomy (i.e. independence).

The Design of Fragmentation

1. Design of Horizontal Fragmentation
 - Primary
 - Derived
2. Design of Vertical Fragmentation
3. Design of Mixed Fragmentation

The Design of Primary Horizontal Fragmentation

Simple Predicate

Given a relation $R (A_1, A_2, \dots, A_n)$ where A_i has domain D_i ,

A simple predicate p_j defined on R has the form

$$p_j: A_i \theta \text{ Value}$$

Where $\theta \in \{=, <, \neq, \leq, >, \geq\}$ and $\text{Value} \in D_i$

Simple Predicate (cont.)

Example: Given global relation J .

J

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal
J2	Database Dev.	135,000	New York
J3	CAD/CAM	250,000	New York
J4	Maintenance	350,000	Orlando

- Simple predicates: $p_j: A_i \theta Value$

$p_1: JNAME = \text{"Maintenance"}$

$p_2: BUDGET \leq 200,000$

Minterm Predicate

Given a set of simple predicates for relation R :

$$P = \{ p_1, p_2, \dots, p_m \},$$

The set of minterm predicates: $M = \{ m_1, m_2, \dots, m_n \}$ is defined as,

$$M = \{ m_i \mid m_i = \bigwedge_{p_j \in P} p_j^* \}$$

where $p_j^* = p_j$ or $p_j^* = \neg(p_j)$.

Provided that, $m_i \neq \text{false}$.

Minterm Predicate (cont.)

Example:

TITLE	SAL
Elect. Eng.	40,000
Syst. Analy.	54,000
Mech. Eng.	32,000
Programmer	42,000

Possible simple predicates:

- P_1 : TITLE="Elect. Eng."
- P_2 : TITLE="Syst. Analy"
- P_3 : TITLE="Mech. Eng."
- P_4 : TITLE="Programmer"
- P_5 : SAL ≤ 35,000
- P_6 : SAL > 35,000

Some corresponding
minterm predicates:

- m_1 : TITLE = "Elect.Eng." ∧ SAL ≤ 35,000
- m_2 : TITLE ≠ "Elect.Eng" ∧ SAL > 35,000

Horizontal Fragments

- A horizontal fragment R_i of relation R consists of all the tuples of R that satisfy a minterm predicate m_i .
- There are as many horizontal fragments (also called *minterm fragments*) as there are minterm predicates.

Desirable properties of the set of simple predicates

Which minterm predicate should we use?

- We have to decide on the *set of simple predicates* that are the basis for the minterm predicates.
- Selection of predicates cannot be helped too much by precise rules since usefulness of particular predicates mostly relies on the intuition of the database designer.
- However, there are two properties: ***Complete*** and ***Minimal***.

Completeness

A set of simple predicate P_r is said to be **complete** if and only if –

Any two tuples in the same fragment (defined by P_r) are referenced (accessed) with the same probability by any application (i.e. query).

Example of Completeness*

J

<u>JNO</u>	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal
J2	Database Dev.	135,000	New York
J3	CAD/CAM	250,000	New York
J4	Maintenance	350,000	Orlando

Pr= {
 LOC="Montreal",
 LOC="New York",
 LOC="Orlando"

JP1

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal

JP2

JNO	JNAME	BUDGET	LOC
J2	GUI	135,000	New York
J3	CAD/CAM	250,000	New York

JP3

JNO	JNAME	BUDGET	LOC
J4	Database Dev.	310,000	Orlando

(Here, $JP_i = SL_{p_i} J$)

Example of Completeness* (cont.)

- Case 1: An application (app_1) is issued in three sites. It wants to access the tuples according to the **location (any location)**.

JP1

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal

JP2

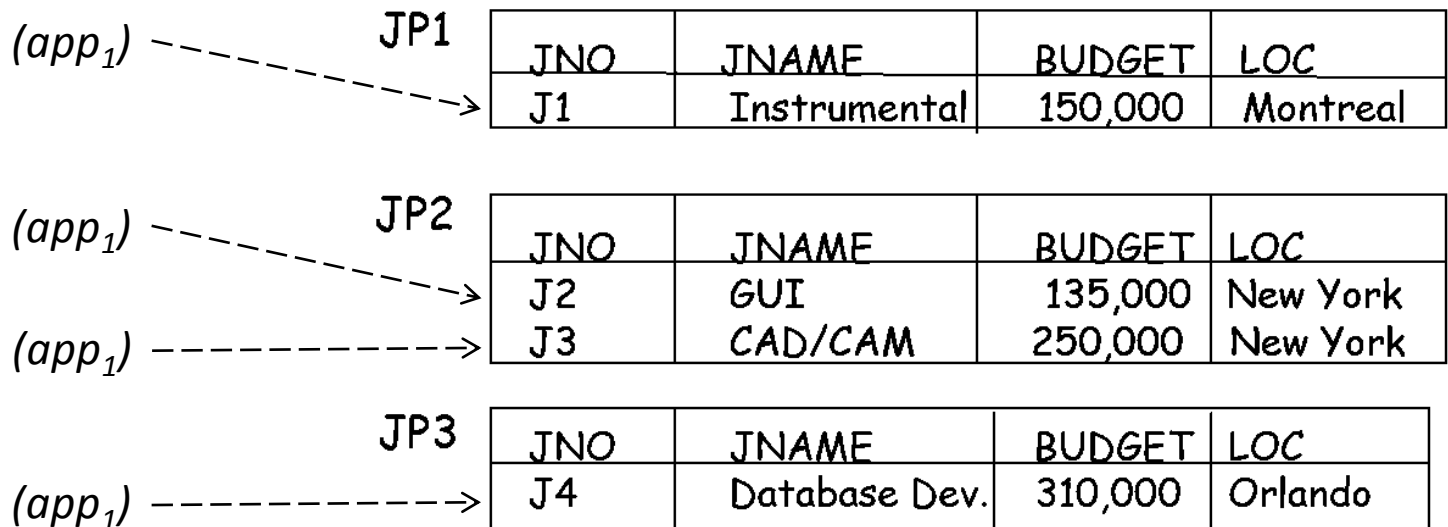
JNO	JNAME	BUDGET	LOC
J2	GUI	135,000	New York
J3	CAD/CAM	250,000	New York

JP3

JNO	JNAME	BUDGET	LOC
J4	Database Dev.	310,000	Orlando

Example of Completeness* (cont.)

- In this case, P_r is *complete* because each tuple of each fragment has the same probability of being accessed.



Example of Completeness* (cont.)

- Case 2: There is a second application (app_2) which is also issued in three sites. It accesses only those tuples where *budget is less than \$200,000*.

JP1

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal

JP2

JNO	JNAME	BUDGET	LOC
J2	GUI	135,000	New York
J3	CAD/CAM	250,000	New York

JP3

JNO	JNAME	BUDGET	LOC
J4	Database Dev.	310,000	Orlando

Example of Completeness* (cont.)

- Tuple J_2 has higher access probability than tuple J_3 in JP_2 . In this case, P_r is *not complete* since some tuples (J_i) in JP_i has higher access probability.

$(app_1 \text{ and } app_2)$ ----->

JP1

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal

$(app_1 \text{ and } app_2)$ ----->

JP2

JNO	JNAME	BUDGET	LOC
J2	GUI	135,000	New York
J3	CAD/CAM	250,000	New York

(app_1) ----->

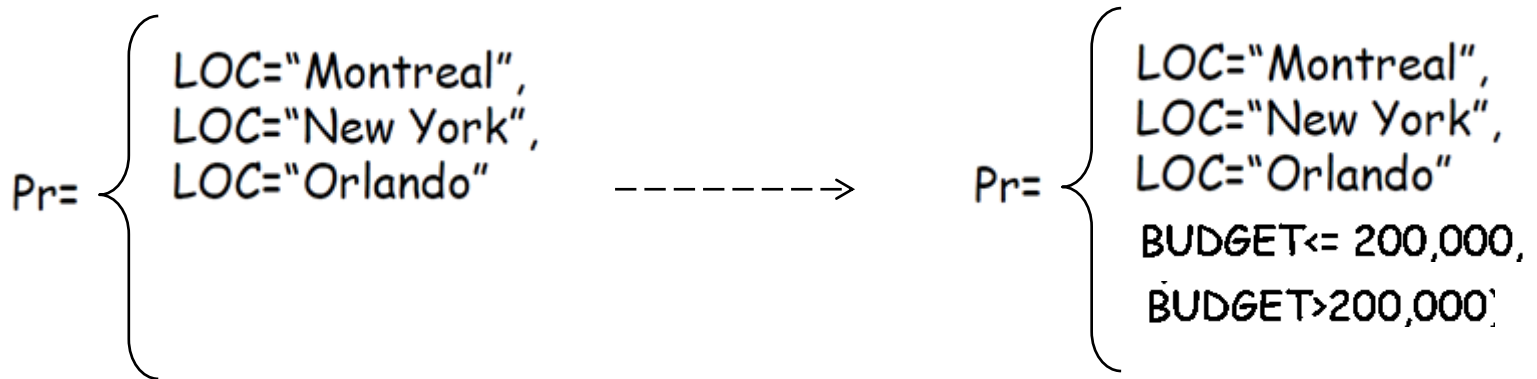
(app_1) ----->

JP3

JNO	JNAME	BUDGET	LOC
J4	Database Dev.	310,000	Orlando

Example of Completeness* (cont.)

- To make the set complete, we need to add –
 $BUDGET \leq 200,000, BUDGET > 200,000$) to P_r .



Example of Completeness* (cont.)

Pr= {
 LOC="Montreal",
 LOC="New York",
 LOC="Orlando"
 BUDGET<= 200,000,
 BUDGET>200,000

SL LOC = 'Montreal' J

JP1

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal

SL LOC = 'New York' and budget <= 200,000 J

JP21

JNO	JNAME	BUDGET	LOC
J2	GUI	135,000	New York

SL LOC = 'New York' and budget > 200,000 J

JP22

JNO	JNAME	BUDGET	LOC
J3	CAD/CAM	250,000	New York

SL LOC = 'Orlando' J

JP3

JNO	JNAME	BUDGET	LOC
J4	Database Dev.	310,000	Orlando

Example of Completeness* (cont.)

$(app_1 \text{ and } app_2)$ -----> JP1

JNO	JNAME	BUDGET	LOC
J1	Instrumental	150,000	Montreal

$(app_1 \text{ and } app_2)$ -----> JP21

JNO	JNAME	BUDGET	LOC
J2	GUI	135,000	New York

(app_1) -----> JP22

JNO	JNAME	BUDGET	LOC
J3	CAD/CAM	250,000	New York

(app_1) -----> JP3

JNO	JNAME	BUDGET	LOC
J4	Database Dev.	310,000	Orlando

Minimal

- The set of predicates P_r is **minimal** if and only if there is at least one application (i.e. query) that accesses the fragment.

$P_r = \left\{ \begin{array}{l} \text{LOC} = \text{"Montreal"}, \\ \text{LOC} = \text{"New York"}, \\ \text{LOC} = \text{"Orlando"} \\ \text{BUDGET} \leq 200,000, \\ \text{BUDGET} > 200,000 \end{array} \right\}$

Example of Minimality*

Considering the previous app_1 and app_2 , and the set P_r .

- If we add the predicate $JNAME = "Instrument"$ to P_r .
- Resulting P_r is *not minimal* since the new predicate is not contributing to least one of the applications.

$P_r =$ {
LOC="Montreal",
LOC="New York",
LOC="Orlando"
BUDGET \leq 200,000,
BUDGET $>$ 200,000'
JNAME = "Instrument" } ??

Additional Reading

- Advantages and disadvantages of –
 - Top-down approach.
 - Bottom-up approach.

Practice Problems/ Questions

- Create your own scenario with –
 - Global relation and fragments (like J , JP_i etc. in the lecture slides).
 - Different sets simple predicates (like $LOC = 'Montreal'$ in the lecture slides)
 - Different applications (like app_1 and app_2 in the lecture slides)

Now, determine if the sets are complete.